









3rd INTERNATIONAL WORKSHOP ON SPATIAL DATA QUALITY

The Quality Control Column Set: an alternative to the Confusion Matrix for Thematic Accuracy Quality Controls



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Objectives

Our goals:

- A new reformulation of a confusion matrix.
- The definition of a QCCS (Quality Control Column set)
- Some proposal about the statistical analysis of a QCCS.



Contents

- Introduction
- A limitation of Confusion Matrices
- QCCS definition
- •Why a QCCS is proposed?
- Further analysis of a QCCS
- Example
- Conclusion



Introduction

Confusion Matrix (CM)

Definition:

- It is a contingency table, which is a statistical tool for the analysis of paired observations (between equals sources).
- The content of a CM is a set of cell values accounting for the degree of similarity between paired observations of k classes in a controlled data set (CDS), and the same k classes of a reference data set (RDS)
- A multinomial approach could be taken into account $CM \sim \mathcal{M}(n, p_{11}, ..., p_{ij}, ..., p_{kk})$ Overall Accuracy Kappa index Etc.
- It is proposed and defined as a standard quality measure for spatial data (measure #62) by ISO 19157.



Introduction

Confusion Matrix (CM)

- It is a $k \times k$ squared matrix with the same categories by row and columns and in the same order
- Diagonal elements count number of correctly classified items
- Off-diagonal elements count the number of confusions
- For convenience, we set RDS by columns and CDS by rows.

CM(i, j) = [#items of class (j) of the RDS classified as class (i) in the CDS]



Introduction

Confusion Matrix (CM)





	Asphalt	Concrete	Grass	Tree	Building	Total
Asphalt	2385	4	0	1	4	2394
Concrete	0	332	0	0	1	333
Grass	0	1	908	8	0	917
Tree	0	0	0	1084	9	1093
Building	12	0	0	6	2053	2071
Total	2397	337	908	1099	2067	6808



A limitation of Confusion Matrices

- This situation does not occur in the quality assessment of other components of spatial data quality
 - "The independent source of higher accuracy for checkpoints shall be at least three times more accurate than the required accuracy of the geospatial data set being tested". (ASPRS, 2015)



The CM is not valid

The multinomial approach is not valid $\mathit{CM} \sim \mathcal{M}(n, p_{11}, ..., p_{ij}, ..., p_{kk})$



/



A limitation of Confusion Matrices

- In qualitative aspects the highest accuracy of the RDS is achieved through assurance and multiple assignment. This implies some requirements:
 - i) using a group of selected operators,
 - ii) designing a specific training procedure for the group of operators in each specific quality control (use case),
 - iii) calibrating the work of the group of operators in a controlled area,
 - iv) supplying the group with good written documentation of the product specifications and the quality control process,
 - v) helping the group with good service support during the qualitycontrol work and socializing the problems and the solutions,
 - vi) proceeding to the classification based on a multiple assignation process produced by the operators of the group, achieving agreements where needed.



A limitation of Confusion Matrices

- All these actions are quality assurance actions and must be deployed, paying special attention to
 - i. Improving trueness (reducing systematic differences between operators and reality),
 - ii. Precision (increasing agreement between operators in each case),
 - iii. Uniformity (increasing the stability of operators' classifications under different scenarios).
- This is a more complex and expensive procedure, but multiple advantages are obtained in order to assure the quality.



QCCS definition

Consequences

- In the later case for a RDS, the CM cannot be seen as a complete multinomial:
 - i. the inherent randomness in the complete matrix falls down.
 - ii. The number of diagonal elements cannot superate the corresponding column size.
 - iii. The analyses based on the CM (overall accuracy, kappa, users' and producers' accuracies, and so on) are incorrect.

A new approach is needed



QCCS definition

New approach

- Consists on:
 - i. separate the matrix in columns (one for each category) and
 - ii. redefining a multinomial distribution for each category (column).
- We propose:
 - i. A category-wise control that allows the statement of our preferences of quality, category by category, but also
 - ii. the statement of misclassifications or confusions limited between classes.
 - iii. These preferences are expressed in terms of minimum percentages required in well-classified items and maximum percentage allowed in misclassifications between classes within each column



QCCS definition

New approach

		RDS				
		Wo G N Wa				
CDS	Wo	47	3	0	0	
	G	4	40	6	0	
	N	0	5	45	0	
	Wa	0	0	2	48	



 Wo
 47

 G
 4

 N
 0

 Wa
 0

RDS



Why a QCCS is proposed

Once a QCCS is considered

- We can determine a set of quality specifications (one for each category)
- For each category a classification level could be stated but also misclassification levels with each other category (or group of them)
- Classification levels are independent among them: each column has its own specification
- Classifications may differ in respect with
 - i. the percentage of well-classified elements
 - ii. The percentage of errors allowed between the true category and others categories
 - iii. The number of total specifications
- A whole decision about quality can be obtained, as well as partial decision for each column (or subset of columns)



Example

Category	Specification ID	Description
SPWo#1		90% of minimum percentage required in well-classified
	51 VVOπ1	items (≥90%)
Woodland	SpWo#2	7% of maximum percentage allowed in misclassifications
Woodiana	<u> </u>	with Grassland (≤7%)
	SpWo#3	3% of maximum percentage allowed in misclassifications
	3pvv0#3	with both Non-vegetated and Water (≤3%)
	SpG#1	80% of minimum percentage required in well-classified
	3p0#1	items (≥80%)
Grassland	SpG#2	15% of maximum percentage allowed in misclassifications
Grassiariu	3p0#2	with Non-vegetated (≤15%)
	SpG#3	5% of maximum percentage allowed in misclassifications
	3pa#3	with both Woodland and Water (≤5%)
	SpN#1	85% of minimum percentage required in well-classified
	Эріч#1	items (≥85%)
Non-	SpN#2	10% of maximum percentage allowed in misclassifications
vegetated	3pN#2	with Grassland (≤10%)
	SpN#3	5% of maximum percentage allowed in misclassifications
	эріч#3	with both Woodland and Water (≤5%)
Water	SpWa#1	95% of minimum percentage required in well-classified
	3hvva#1	items (≥95%)
vvalei	SpWa#2	5% of maximum percentage allowed in misclassifications
3pvva#2		with the rest of categories (≤5%)
Note: these sp	ecifications are on	ly by way of example



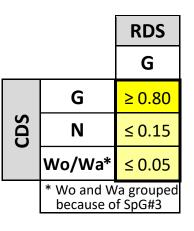
Example

		F	Referer	nce da	ta				
		Wo	G	N	Wa				
	Wo	80	10	10	2		QCCS	$\neg \bot$	
Data classification	G	15	36	15	5				
Data classification	N	5	5	66	0		_		_
	Wa	0	3	5	83				
Wo=Woodland, G=Grassland, N=Non-vegetated, Wa=Wate			=Water		R)S			
						Wo	G	N	Wa
					Wo	80	10	10	2
				\ \ \	G	15	36	15	5
			CI	os	N	5	5	66	0
					Wa	0	3	5	83

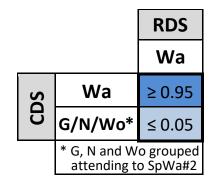


Example

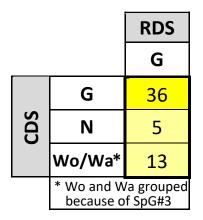
		RDS	
		Wo	
	Wo	≥ 0.90	
CDS	G	≤ 0.07	
	N/Wa*	≤ 0.03	
	* N and Wa grouped because of SpWo#3		

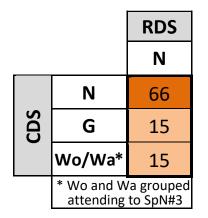


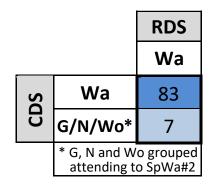
		RDS
		N
	N	≥ 0.85
CDS	G	≤ 0.15
	Wo/Wa*	≤ 0.05
	* Wo and Wa grouped attending to SpN#3	



		RDS	
		Wo	
	Wo	80	
CDS	G	15	
	N/Wa*	5	
	* N and Wa grouped because of SpWo#3		







Values in assumed order

Values in assumed order



Example

Case: Information about the "whole" matrix: multinomial

Woodland:

$$\mathbb{H}_0$$
: $\pi_{Wo} = 0.90$; $\pi_{Wo,G} = 0.07$; $\pi_{Wo,others} = 0.03$ $T_{Wo} = (80, 15, 5)$

$$T_{Wo} = (80, 15, 5)$$

$$\mathbb{H}_1$$
: $\pi_{Wo} < 0.90 \text{ or } \pi_{Wo} = 0.90 \text{ and } \pi_{Wo,G} < 0.07$ $\mathcal{M}(100; 0.90, 0.07; 0.03).$

$$\mathcal{M}(100; 0.90, 0.07; 0.03).$$

Grassland:

$$\mathbb{H}_0$$
: $\pi_G = 0.80$; $\pi_{G,N} = 0.15$; $\pi_{G,others} = 0.05$

$$T_G = (36,5,13)$$

$$\mathbb{H}_1$$
: $\pi_G < 0.80 \ or \ \pi_G = 0.80 \ and \ \pi_{G,N} < 0.15$

$$\mathcal{M}(54; 0.80, 0.15; 0.05)$$

 $\mathcal{M}(96; 0.80, 0.15; 0.05).$

Non vegetated:

$$\mathbb{H}_0$$
: $\pi_N = 0.85$; $\pi_{N.G} = 0.10$; $\pi_{N.others} = 0.05$

$$thers = 0.05$$

$$I_N = (66,15,15)$$

$$\mathbb{H}_1$$
: $\pi_N < 0.85 \ or \ \pi_N = 0.85 \ and \ \pi_G < 0.10$

Water:

$$\mathbb{H}_0$$
: $\pi_{Wa} = 0.95$

$$\mathbb{H}_1: \pi_{Wa} < 0.95$$

$$T_{Wa}=4$$



Conclusions

- A new approach of a confusion matrix has been presented.
- It is based on the assumption that the RDS is a reference (ground truth)
- This give a more powerful and complete method for thematic accuracy quality control than those based on a confusion matrix or on global indices
- This method allows a class by class quality control, including some degree of misclassifications or confusions between classes
- It is a very flexible procedure because it provides the possibility to merge classes, which means the possibility of varying the dimension of the underlying multinomial
- It also allows us to test simultaneously the quality levels for a set of categories
- An example has been provided



